

# Urban Economics and Simulations

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## Exercises B

**Exercise 1** *The following true/false questions deal with a general bimatrix game.*

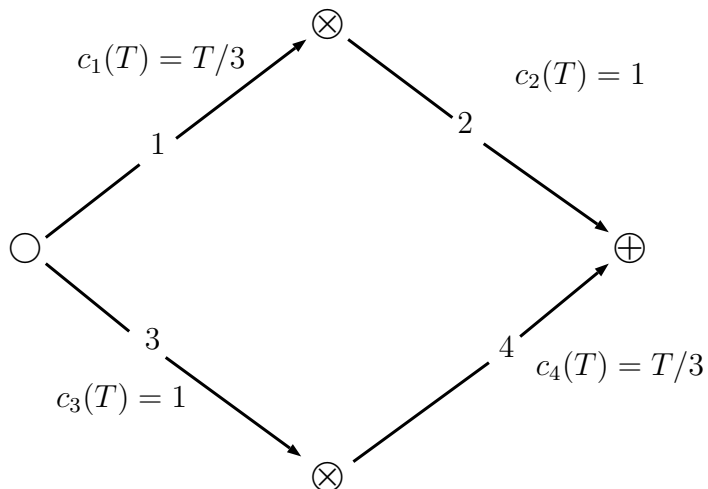
- a. *A bimatrix game concerns a game with two players.*
- b. *Each bimatrix game has at least one Nash equilibrium.*
- c. *Each bimatrix game has a social optimum.*

**Exercise 2** *The following true/false questions deal with the bimatrix game*

$$\begin{pmatrix} 3;6 & 6;5 & 4;3 \\ 6;2 & 5;3 & 5;4 \end{pmatrix}.$$

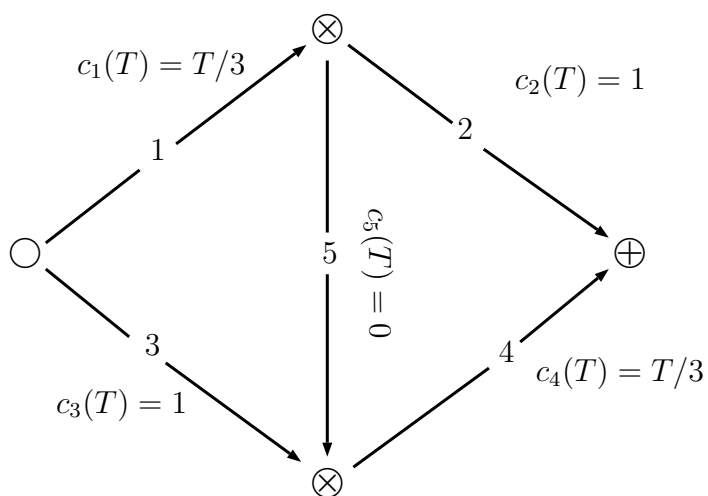
- a. *The row-player has 2 strategies.*
- b. *There are 6 strategy profiles.*
- c. *Playing row 1 and column 1 is a Nash equilibrium.*
- d. *Playing row 1 and column 3 is a social optimum.*
- e. *This game is a zero-sum game.*

**Exercise 3** *Consider the following variant of the traffic network with two commuters presented in the context of the Braess' paradox in Slides B.*



- Identify for each commuter the strategies.
- Represent this game as a bimatrix game.
- Determine the Nash equilibria.

**Exercise 4** Modify the above traffic network by adding as follows a fifth route that can be used without costs.



- Identify for each commuter the strategies.
- Represent this game as a bimatrix game.
- Determine the Nash equilibria.
- Compare with parts c and d in Exercise 3.